Consider the following search problem, where S is the start state and G is the goal, given as a graph:


|  | $S$ | $B$ | $C$ | $D$ | $E$ | $G$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $h_{1}$ | 0 | 0 | 0 | 0 | 0 | 0 |
| $h_{2}$ | 4 | 2 | 1 | 2 | 0 | 0 |
| $h_{3}$ | 4 | 3 | 3 | 2 | 0 | 0 |

1. Which heuristics are admissible (or write none)?
$\mathrm{H} 1, \mathrm{H} 2$ and H 3 are all admissible.
H1 is consistent. H3 is consistent: $f(n)$ along path to goal is non-decreasing. H 2 not consistent $\mathrm{b} / \mathrm{c} \mathrm{H}(\mathrm{S})=4$ but $\mathrm{g}(\mathrm{S}->\mathrm{C})+$ $h(C)=2$. Thus $f(n)$ decreases along path to goal.
${ }^{3 .}$ For heuristic h3, fill in the following table, showing the node expanded, the fringe, and the closed list, for A* graph search. Each item on the fringe should be a pair: path taken to $n$ and $f(n)$.

2. For heuristic h3, what path will $A^{*}$ graph search return?
