

this time:

comparing 2 samples

17 (1) May

next time:

read: AM 55  
FPP ch. 27



Alternative notes from

our student note-takers available on course

web page

pitfalls of significance testing

big picture:  
p. (22)

(2) estimates (+) give-or-takes (interval estimation) are far more informative than p-values

VI. A

ex. flex time (5/12 p. 89)

hwk 5  
pp. (96)-(98)  
due (Thu)  
26 May  
(1 week + 2 days)

null:  $\mu = 6.3$  days  
alt:  $\mu < 6.3$  days

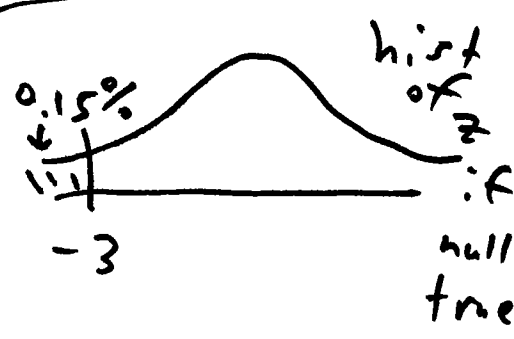
$p = 0.15\%$  so highly statsig, ~~so~~

null certainly looks wrong, ~~but~~  $\mu$  is less than 6.3, but by how much?

Q: Does

p-value by itself tell us anything about practical significance?

$p = 0.15\% \rightarrow z = -3 = \frac{\text{Signal}}{\text{noise}}$



$$\text{signal} = (\text{obs. } \bar{y}) - \underbrace{(\text{exp. } \bar{y} \text{ if null true})}_{6.3} \quad (2)$$

A: no, because can't work out signal from

signal  
noise

by contrast: 95% CI for  $\mu$

estimate of  $\mu$ :  $\bar{y} = 5.4$  days

give or take:  $SE(\bar{y}) = 0.3$  days

95% CI for  $\mu$ :  $\bar{y} \pm 2 SE(\bar{y}) = (5.4 \pm 2(0.3))$   
 $= (5.4 \pm 0.6)$  days

~~4.8~~ 4.8  $\uparrow$  5.4 6.0  $\uparrow$  6.3  
 95% CI for  $\mu$   
 "reject null" of 6.3  
 because it's not inside  
 the 95% interval

pract.sig 5.4 vs 6.3  
 (a decline of 0.9 days  
 per year per employee  
 is large in real-world  
 terms)

whereas sig. tests only answer stat.sig  
 both questions: stat.sig & pract.sig

VI. A comparing 2 samples

CS 14

treatment (supposedly causal) variable:  $\textcircled{T}$  discount strategy vs.  $\textcircled{C}$  steward strategy

AMS  
5

Case Study 14 (business): Discount Pricing

Discount stores often introduce new merchandise at a special low price to induce people to try it. But in the mid-1960s a prominent psychologist predicted that in the long run this practice would actually reduce sales. With the cooperation of a discount chain (I think it was K-Mart), an experiment was performed in 1968 to test this theory. A representative sample of 120 stores was chosen, and the stores were arranged into 60 pairs, matched according to characteristics like sales volume and location. These stores did not advertise, and displayed their merchandise in similar ways. A new kind of cookie was introduced in all 120 stores. Within each pair of stores, one was chosen at random to introduce the cookies at the special low price of 49 cents a box, with the price increasing to 69 cents after two weeks; the other store in the pair introduced the cookies at the regular price of 69 cents a box. Total sales (in cases) of the cookies were computed for each store for six weeks from the time they were introduced; the results are given below. Does this evidence support or refute the psychologist's theory? Carry out the appropriate inferential procedure to answer this question. What was the point of pairing the stores in the way they did? Explain briefly.

pair number	discount sales	standard sales	difference (discount - standard)
1	851	916	-65
2	903	1004	-101
.	.	.	.
60	787	699	+88
mean	854	923	-69
SD	58	157	150

$$\frac{854 - 923}{58} = \frac{-69}{58}$$
 This calculation is annotated with "p-value" and an arrow pointing to the mean difference row in the table.

stat sig

