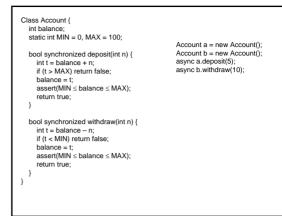
Part II: Atomicity for Software Model Checking



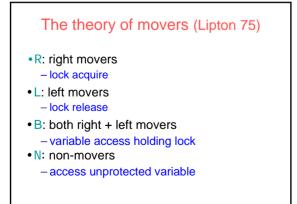


- Model checker for concurrent software – assertions, deadlocks
- · Rich input language
 - Procedures, dynamic object creation, dynamic thread creation
 - Shared-memory (via globals and channels)
 - Message-passing (via channels)
- Joint work with Tony Andrews, Jakob Rehof, and Sriram Rajamani
- http://www.research.microsoft.com/zing

Analysis of concurrent programs is difficult (1)

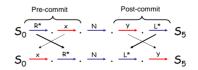
- Finite-data single-procedure program – n lines
 - -m states for global data variables
- 1 thread
 n * m states
- K threads

 (n)^K * m states



Transaction

Lipton: any sequence (R|B)*; [N] ; (L|B)* is a transaction



Other threads need not be scheduled in the middle of a transaction

Algorithm:

- 1. Schedule all threads in the initial state.
- 2. For each state s discovered by executing a thread t:
 - If s is inside a transaction, schedule only thread t from s.
 Otherwise, schedule all threads from s.

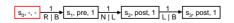
Instrumented state:	State, Phase, Tid
S ₀ , -, -	

 Algorithm: 1. Schedule all threads in the initial state. 2. For each state s discovered by executing a thread t: If s is inside a transaction, schedule only thread t from s. Otherwise, schedule all threads from s. 	 Algorithm: 1. Schedule all threads in the initial state. 2. For each state s discovered by executing a thread t: If s is inside a transaction, schedule only thread t from s. Otherwise, schedule all threads from s.
Instrumented state: State, Phase, Tid	Instrumented state: State, Phase, Tid
s_0, \cdot, \cdot $R \mid B $ $s_1, pre, 1$ $R \mid B $ $s_2, pre, 1$	$s_0, \cdot, \cdot, \frac{1}{R \mid B} s_1, \text{ pre, } 1 \xrightarrow{1} N \mid L \Rightarrow s_2, \text{ post, } 1$

Algorithm:

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Algorithm:

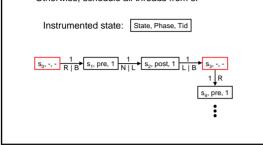
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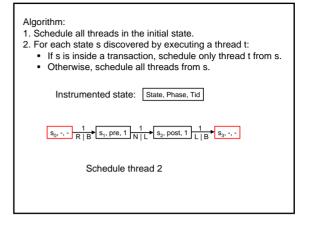
Instrumented state: State, Phase, Tid



Algorithm:

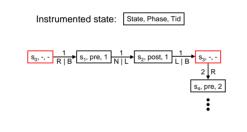
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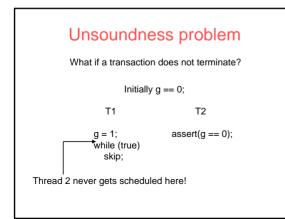


Algorithm:

- 1. Schedule all threads in the initial state.
- 2. For each state s discovered by executing a thread t:
 - If s is inside a transaction, schedule only thread t from s.
 Otherwise, schedule all threads from s.



Class Account { int balance; static int MIN = 0, MAX = 100; bool synchronized deposit(int n) { int t = balance + n; if (t > MAX) return false; balance = t; assert(MIN ≤ balance ≤ MAX);	Account a = new Account(); Account b = new Account(); async a.deposit(5); async b.withdraw(10);
return true; }	Execution of a.deposit(5) is a transaction.
<pre>bool synchronized withdraw(int n) { int t = balance - n;</pre>	Execution of b.withdraw(10) is a transaction.
iff (t < MIN) return false; balance = t; assert(MIN ≤ balance ≤ MAX); return true;	ZING explores two interleavings only!
}	



ZING: Work in progress

- Algorithm for sound transaction-based model checking
- Inferring mover information for accesses to the heap and globals

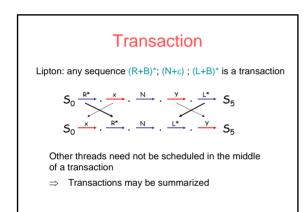
Related work

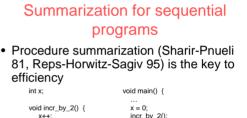
- · Partial-order reduction
 - stubborn sets (Valmari 91), ample sets (Peled 96), sleep sets (Godefroid 96)
 - used mostly for message-passing systems (no shared memory)
- Bogor model checker (Dwyer et al. 04)
 - applied classic partial-order reduction to sharedmemory Java programs
- Transaction-based reduction (Stoller-Cohen 03)

Analysis of concurrent programs is difficult (2)

- Finite-data program with procedures

 n lines
 - m states for global data variables
- 1 thread
 - Infinite number of states
 - Can still decide assertions in O(n * m³)
 - SLAM, ESP, BLAST implement this algorithm
- $K \ge 2$ threads
 - Undecidable!





id incr_by_2()	{	
x++;		
x++;		

ι

- x = 0; incr_by_2(); ... x = 0; incr_by_2();
- Bebop, ESP, Moped, MC, Prefix, ...

Assertion checking for sequential programs

- · Boolean program with:
 - -g = number of global vars
 - -m = max. number of local vars in any scope - k = size of the CFG of the program
- Complexity is O(k × 2 ^{O(g+m)}), linear in the size of CFG
- Summarization enables termination in the presence of recursion

Assertion checking for concurrent programs

Ramalingam 00:

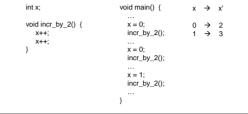
There is no algorithm for assertion checking of concurrent boolean programs, even with only two threads.

Our contribution

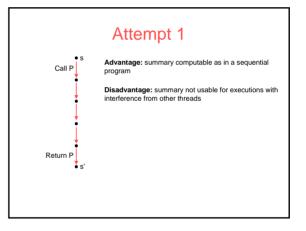
- Precise semi-algorithm for verifying properties of concurrent programs
 - based on model checking
 - procedure summarization for efficiency
- Termination for a large class of concurrent programs with recursion and shared variables
- Generalization of precise interprocedural dataflow analysis for sequential programs

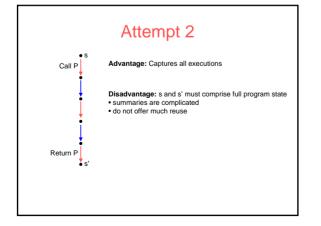
What is a summary in sequential programs?

 Summary of a procedure P = Set of all (pre-state → post-state) pairs obtained by invocations of P

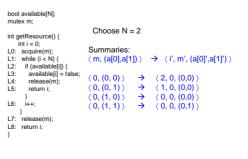


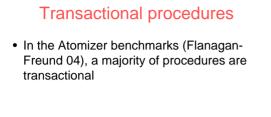
What is a summary in concurrent programs? Unarticulated so far Naïve extension of summaries for sequential programs do not work





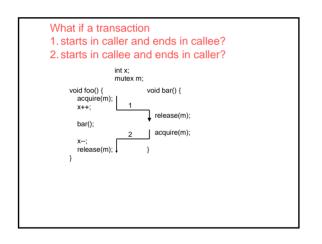
If a procedure body is a single transaction, summarize as in a sequential program

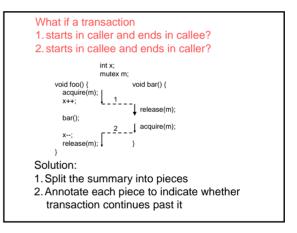




What if a procedure body comprises multiple transactions?

bool available[N]; mutex m[N];	Choose N = 2
int getResource() { int i = 0;	$\label{eq:summarise} \begin{split} & \text{Summarise:} \\ & \left< \text{pc,i,(m[0],m[1]),(a[0],a[1])} \right> \rightarrow \left< \text{pc',i',(m[0]',m[1]'),(a[0]',a[1]')} \right> \end{split}$
L0: while (i < N) { L1: acquire(m[i]);	$\langle \text{ L0, 0, (0,*), (0,*)} \rangle \rightarrow \langle \text{ L1, 1, (0,*), (0,*)} \rangle$
L2: if (available[i]) { L3: available[i] = false;	$\langle \text{ L0, 0, (0,*), (1,*)} \rangle \rightarrow \langle \text{ L5, 0, (0,*), (0,*)} \rangle$
L4: release(m[i]); L5: return i;	$\langle \text{ L1, 1, (*,0), (*,0) } \rangle \rightarrow \langle \text{ L8, 2, (*,0), (*,0) } \rangle$
} else { L6: release(m[i]);	$\langle \text{ L1, 1, (*,0), (*,1)} \rangle \rightarrow \langle \text{ L5, 1, (*,0), (*,0)} \rangle$
} L7: i++:	
} L8: return i:	
}	





Two-level model checking

- · Top level performs state exploration
- Bottom level performs summarization
- Top level uses summaries to explore reduced set of interleavings
 - Maintains a stack for each thread
 - Pushes a stack frame if annotated summary edge ends in a call
 - Pops a stack frame if annotated summary edge ends in a return

Termination

• Theorem:

- If all recursive functions are transactional, then our algorithm terminates.
- The algorithm reports an error iff there is an error in the program.

int g = 0; mutex m;		
void foo(int r) { L0: if (r == 0) {	void main() { int q =	Summaries for foo: $\langle pc,r,m,g \rangle \rightarrow \langle pc',r',m',g' \rangle$
L1: foo(r); } else { L2: acquire(m); L3: g++; L4: release(m); } L5: return; }	M2: assert(g >= 1);	$ \begin{array}{c} \left< L0.1,0,0 \right> \rightarrow \left< L5.1,0,1 \right> \\ \left< L0,1,0,1 \right> \rightarrow \left< L5,1,0,2 \right> \end{array} $
Prog = mair	n() main()	

Sequential programs

- For a sequential program, the whole execution is a transaction
- Algorithm behaves exactly like classic interprocedural dataflow analysis

Related work

- Summarizing sequential programs
 - Sharir-Pnueli 81, Reps-Horwitz-Sagiv 95, Ball-Rajamani 00, Esparza-Schwoon 01
- Concurrency+Procedures
 - Duesterwald-Soffa 91, Dwyer-Clarke 94, Alur-Grosu 00, Esparza-Podelski 00, Bouajjani-Esparza-Touili 02